For a given function $\varphi \in H^\infty$ with $|\varphi(z)| < 1$ ($z \in \mathbb{D}$) and a sequence $\{\lambda_n\}_{n \geq 1} \subset \mathbb{D} = \{z \in \mathbb{C} : |z| < 1\}$, we discuss the Blaschke condition for the sequence $\{\varphi(\lambda_n)\}_{n \geq 1}$. We give in terms of Berezin symbols of operators an equivalent characterization for it, which is related with the boundary behavior of the compact operators on the Hardy space $H^2(\mathbb{D})$. In terms of Berezin symbols the trace of some nuclear truncated Toeplitz operator is calculated. Some other related questions are also discussed.